POGIL[™] Activities for AP* Chemistry-modified

Name

Buffers

How can a solution neutralize both acids and bases?

Why?

Buffer solutions are a mixture of substances that have a fairly constant pH regardless of addition of acid or base. They are used in medicine, industry and manufacturing to keep the pH of a solution stable regardless of other reactions that might be occurring. You have buffers in your blood, for example, because the proper function of enzymes is dependent on the pH of your blood staying in a narrow range. Eating, breathing and exercising can all alter the acidity or basicity of your blood, but the buffers in your blood help control the pH and keep all of your enzymes working properly.

Model 1 – Comparing Solutions:

Beaker A:	100 mI	Dere Dere	Water
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1.00

 $H_2O(l) + H_2O(l) \rightleftharpoons H_3O^+(aq) + OH^-(aq)$

	WB	WA	L	CA	CB
			1	H_3O^+	OH-
Ι				0	0
С				$+1.0 \times 10^{-7}$	$+1.0 \times 10^{-7}$
Е				1.0×10 ⁻⁷	1.0×10 ⁻⁷

Be	Beaker C: 100 mL of 1.00 M HNO ₂ $K_a \text{ of } HNO_2 = 4.6 \times 10^{-4}$					
	$HNO_2 (aq) + WA$	· H ₂ C WB	$O(l) \rightleftharpoons H_3O^+$ (a CA	$(aq) + NO_2^{-}(aq)$ CB		
	HNO ₂			NO ₂ ⁻		Γ
Ι	1.00		0	0	Ι	
С	X		$+_{\rm X}$	+x	С	
E	1.00 - x		Х	Х	Ε	
	0.98 2.1×10 ⁻² 2.1×10 ⁻²					
$K_a = 4.6 \times 10^{-4} = \frac{[\text{H}_3\text{O}^+][\text{NO}_2^-]}{[\text{HNO}_2]} = \frac{x \cdot x}{1.00 - x}$ $K_a = \frac{x \cdot x}{1.00 - x}$						= 4
4.	$4.6 \times 10^{-4} \approx \frac{x^2}{1.00}$ and $x = 2.1 \times 10^{-2}$					

Beaker B:	100 mL of 1.00 M HCl	

	HCl (aq) +	$H_2O(l)$	$\rightarrow \mathrm{H_3O^+}(\mathrm{aq})$	$) + Cl^{-}(aq)$
	SA	WB	CA	CB
	HCl	\rightarrow	H_3O^+	CI
Ι	1.00		0	0
С	-1.00		+1.00	+1.00
F	0		1.00	1.00

Beaker D: 100 mL of 1.00 M HNO₂ mixed with 100 mL of 1.00 M NaNO₂ (*Be careful-dilution*!!!)

	$HNO_2(aq) +$	H ₂ O	$(l) \rightleftharpoons H_3O^+$ (a	$aq) + NO_2^{-}(aq)$	
	WA	WB	CA	CB	
	HNO ₂	1	H_3O^+	NO_2^-	
Ι	0.500		0	0.500	
С	X		$+_{\rm X}$	$+_{\mathbf{X}}$	
E	0.500 - x		Х	0.500 + x	
	0.500		4.6×10 ⁻⁴	0.500	
$K_a = 4.6 \times 10^{-4} = \frac{[\text{H}_3\text{O}^+][\text{NO}_2^-]}{[\text{HNO}_2]} = \frac{x(0.500 + x)}{(0.500 - x)}$					
$4.6 \times 10^{-4} \approx \frac{x(0.500)}{0.500}$ and $x = 4.6 \times 10^{-4}$					

- 1. For each beaker in Model 1, *underneath each reaction equation*, write SA (strong acid), SB (strong base), WA (weak acid), or WB (weak base) for the reactants; and write CA (conjugate acid) or CB (conjugate base) for the products.
- 2. For Beaker A and B, fill in the ICE/ICF charts to determine all equilibrium/final concentrations of the molecules or ions. ICF ("final") is used for reactions that go to completion, such as reactions with strong acids or bases. For these the change will stoichiometrically consume the limiting reactant.
- 3. For Beaker C and D, fill in the ICE charts, using "x" values as needed. Then, underneath each ICE chart, write the K_a expression and show calculations to determine the value of "x." Then, go back and modify values in the Equilibrium row so that each concentration is a numerical value. *(Substitute in all "x" values.)*

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4. Imagine that 1.00 M sodium hydroxide was added dropwise to each of the beakers in Model 1. List the species in each beaker that would react with this added base and neutralize significant quantities (at least 0.05 mole) of it. If neutralization is not likely to occur, write "none."

Beaker A	Beaker B	Beaker C	Beaker D
Pure Water	HCl (aq)	HNO ₂ (aq)	HNO ₂ with NaNO ₂
none	H_3O^+	HNO ₂	HNO ₂

5. Imagine that 1.00 M hydrochloric acid was added dropwise to each of the beakers in Model 1. List the species in each beaker that could react with this added acid and neutralize significant quantities (at least 0.05 mole) of it. If neutralization is not likely to occur, write "none."

Beaker A	Beaker B	Beaker C	Beaker D
Pure Water	HCl (aq)	HNO_2 (aq)	HNO ₂ with NaNO ₂
none	none	none	NO ₂ ⁻

6. Which beaker in Model 1 was able to neutralize significant quantities of both acid and base? D

Read This!

A buffer solution is one that can neutralize both small quantities of acid and small quantities of base. This is possible because the solution contains significant quantities of both a weak acid and a weak base *(the weak base is usually the conjugate base of the weak acid)*. Thus, a buffer can neutralize a significant amount of any strong acid or any strong base that is added, allowing the solution to keep a fairly constant pH.

- 7. Which beaker in Model 1 contains a buffer? D For this buffer...
 - a) What species is the weak acid? <u>HNO₂</u> What species is the weak base? <u>NO₂</u>
 - b) Write the neutralization reaction that would take place if 1.0 M NaOH was added to this buffer. *(Hint—what species in the buffer will react with the added OH⁻?)* Also, explain why the pH of the solution would stay fairly constant after the addition of some NaOH.

NaOH (aq) + HNO₂ (aq) \rightarrow NaNO₂ (aq) + H₂O (l)

Net Ionic: $OH^-(aq) + HNO_2(aq) \rightarrow NO_2^-(aq) + H_2O(l)$

The pH stays fairly constant because the weak acid (HNO₂) in the buffer consumes all of the added strong base OH^- and forms the weak base NO_2^- and water. Thus, all strong base has been removed and for small amounts of OH^- , the relative amounts of HNO₂ and NO_2^- remain fairly constant. Thus, the [H⁺], as calculated for beaker D above, remains fairly constant.

c) Write the neutralization reaction that would take place if 1.0 M HCl was added to this buffer. (*Hint*—what species in the buffer will react with the added H_3O^+ ?) Also, explain why the pH of the solution would stay fairly constant after the addition of some HCl.

 $HCl (aq) + NaNO_2 (aq) \rightarrow HNO_2 (aq) + NaCl (aq)$

Net Ionic: $H^+(aq) + NO_2^-(aq) \rightarrow HNO_2$

As above, the pH stays fairly constant because the weak base (NO_2^-) in the buffer consumes all the added strong acid H⁺ and forms the weak acid HNO₂ and water. Thus, all strong acid has been removed and for small amounts of H⁺, the relative amounts of HNO₂ and NO₂⁻ remain fairly constant. Thus, the [H⁺], as calculated for beaker D above, remains close to the K_a.

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d) Now suppose one keeps adding 1.0 M HCl to this buffer until a total of 101 mL of 1.0M HCl have been added. At this point, the pH of the solution will be very acidic. Why is this the case?

At this point, 0.101 mol of HCl will have been added to 0.100 mol of NO_2^- , completely using it up and leaving behind an excess of 0.001 mol of H⁺ in 301 mL, for a concentration of 0.0033 M and a pH of 2.479.

8. Fill in the chart below to determine which of the following solutions are buffer solutions. To do so, first, determine the three most predominant species in the solution. Second, underneath each predominant species, label each with either strong acid (SA), strong base (SB), weak acid (WA), weak base (WB) or neutral ion (N) (A neutral ion could be a the conjugate base of a strong acid and so would be too weak to be a base in H₂O, or it could be the conjugate acid of a strong base and so would be too weak to be an acid in H₂O). Lastly, state whether the solution is a buffer solution.

Substances mixed in equal volumes	List the three most Underneath each sp WB or N	Is the solution a buffer?		
a) 1.0 M HCl and	<u>H_3O^+</u>	Cl	Na ⁺	No
1.0 M NaCl	SA	Ν	Ν	NO
b) 1.0 M HNO ₂ and	<u>HNO₂</u>	H_3O^+	NO <u>3</u>	No
1.0 M HNO ₃	WA	SA	Ν	INO
c) 1.0 M NH ₄ Cl and	<u>NH4</u> ⁺	Cl⁻	<u>NH₃</u>	Yes
1.0 M NH ₃	WA	Ν	WB	I es
d) 1.0 M CH ₃ COOH and 1.0 M NaCl	<u>CH₃COOH</u>	Na ⁺	Cl	No
	WA	Ν	Ν	110
e) 1.0 M HF and	HF	Na ⁺	F	Yes
1.0 M NaF	WA	Ν	WB	105
f) 1.0 M H_2SO_4 and	Na ⁺	HSO ₄ ⁻		No
1.0 M Na ₂ SO ₄	N	WA		
g) 1.0M KOH and	K ⁺	Cl⁻	OH ⁻	No
1.0M KCl	N	Ν	SB	
h) 1.0M Ca(OH) ₂	Ca ²⁺	C1 [_]	OH⁻	No
and 1.0M HCl	Ν	Ν	SB	110

Model 2 – pH of Buffer Solutions

Beaker 1

100 mL 1.0 M NH₄Cl and 100 mL 1.0 M NH₃ **NH₄⁺(aq) + H₂O (l) \rightleftharpoons H₃O⁺ (aq) + NH₃ (aq) K_a \text{ of NH₄⁺} = 5.6 \times 10^{-10} \text{ pK}_a \text{ of NH₄⁺} = 9.25**

	$\mathbf{NH_4}^+$	\neq	H_3O^+	NH ₃
Ι	0.500		0	0.500
С	X		$+_{\rm X}$	$+_{\mathbf{X}}$
E	0.500 - x		Х	0.500 + x

$$K_{a} = \frac{[\mathrm{H}_{3}\mathrm{O}^{+}][\mathrm{NH}_{3}]}{[\mathrm{NH}_{4}^{+}]}; \ [\mathrm{H}_{3}\mathrm{O}^{+}] = \frac{K_{a}[\mathrm{NH}_{4}^{+}]}{[\mathrm{NH}_{3}]}$$
$$[\mathrm{H}_{3}\mathrm{O}^{+}] = \frac{(5.6 \times 10^{-10})(0.500 \times x)}{(0.500 \times x)} = 5.6 \times 10^{-10} \mathrm{M}$$
$$\mathrm{pH} = -\log(5.6 \times 10^{-10}) = 9.25$$

Beaker 3

100 mL 1.0 M H₂CO₃ and 100 mL 1.0 M NaHCO₃ $H_2CO_3(aq) + H_2O(l) \rightleftharpoons H_3O^+(aq) + HCO_3^-(aq)$ $K_a \text{ of } H_2CO_3 = 4.4 \times 10^{-7} \text{ pK}_a \text{ of } H_2CO_3 = \underline{6.36}$

	H ₂ CO ₃	1	H_3O^+	HCO ₃ ⁻
Ι	0.500		0	0.500
С	X		$+_{\rm X}$	$+_{\mathbf{X}}$
E	0.500 - x		Х	0.500 + x

$$K_{a} = \frac{[\text{H}_{3}\text{O}^{+}][\text{HCO}_{3}^{-}]}{[\text{H}_{2}\text{CO}_{3}]}; \ [\text{H}_{3}\text{O}^{+}] = \frac{K_{a}[\text{H}_{2}\text{CO}_{3}]}{[\text{HCO}_{3}^{-}]}$$
$$[\text{H}_{3}\text{O}^{+}] = \frac{(4.4 \times 10^{-7})(0.500 \times x)}{(0.500 \times x)} = 4.4 \times 10^{-7} \text{ M}$$
$$p\text{H} = -\log(4.4 \times 10^{-7}) = 6.36$$

Beaker 2	
100 mL 1.0 M HF and 100	mL 1.0 M NaF
$HF(aq) + H_2O(l) \rightleftharpoons H_3O'$	+ (aq) + F ⁻ (aq)
$K_{\rm a}$ of HF = 3.5×10^{-4}	$pK_a \text{ of HF} = 3.46$

	HF	\neq	H_3O^+	F ⁻
Ι	0.500		0	0.500
С	X		$+_{\rm X}$	$+_{\rm X}$
Е	0.500 - x		Х	0.500 + x

$$K_{a} = \frac{[\text{H}_{3}\text{O}^{+}][\text{F}^{-}]}{[\text{HF}]}; [\text{H}_{3}\text{O}^{+}] = \frac{K_{a}[\text{HF}]}{[\text{F}^{-}]}$$
$$[\text{H}_{3}\text{O}^{+}] = \frac{(3.5 \times 10^{-4})(0.500 \neq x)}{(0.500 \neq x)} = 3.5 \times 10^{-4} \text{ M}$$

 $pH = -\log(3.5 \times 10^{-4}) = 3.46$

Beaker 4

100 mL 1.0 M HF and 300 mL 1.0 M NaF **HF (aq) + H₂O (l) \rightleftharpoons H₃O⁺ (aq) + F⁻ (aq) K_a of HF = 3.5 × 10⁻⁴ pK_a of HF = <u>3.46</u>**

	HF	\Rightarrow	H_3O^+	\mathbf{F}^{-}
Ι	0.250		0	0.750
С	X		$+_{\rm X}$	$+_{\rm X}$
Е	0.250 - x		Х	0.750 + x

$$K_{a} = \frac{[H_{3}O^{+}][F^{-}]}{[HF]}; [H_{3}O^{+}] = \frac{K_{a}[HF]}{[F^{-}]}$$
$$[H_{3}O^{+}] = \frac{(3.5 \times 10^{-4})(0.250 \neq x)}{(0.750 \neq x)} = 1.2 \times 10^{-4} \text{ M}$$
$$pH = -\log(1.2 \times 10^{-4}) = 3.93$$

- 9. Model 2 describes four buffer solutions, each consisting of a weak acid and its conjugate base. Using the given K_a of each acid, calculate the pK_a of each acid and fill in values above each ICE chart.
- 10. Fill in the ICE charts using "x's" where needed. (Be careful--watch out for dilution effects when determining initial concentrations.) Then, underneath each ICE chart, write the K_a expression. Then, rearrange the K_a expression to solve for [H₃O⁺] (no numbers yet!). Then, plug in values from the ICE chart and obtain the numerical value of [H₃O⁺]. In addition, determine the **pH** of each solution.
- 11. Do all buffers solutions have a neutral pH? <u>No</u> Justify your answer with data from Model 2. The buffer systems have pH values from acidic (HF) to basic (NH_4^+) .
- 12. When a buffer system consists of <u>equal</u> concentrations of a weak acid and its conjugate base, how does the pK_a value of the weak acid compare to the pH of the solution? The $pH = pK_a$